

Business Dynamism in Japan: Some Expositions



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Motivation

A) Stagnation in many advanced economies

- Business dynamism / Firm dynamics
 - Multi-dimensional description
 - Philippon '19; Akcigit & Ates '21 and so many
 - Evil GAFA-type theoretical explanation
- Japan? ⇔ Project-1: Hosono, Miyakawa, Takizawa

B) Any theoretical exposition for Japan?

- Endogenous growth model
 - w/ long shadow of death
 - ⇔ Project-2: Miyakawa, Oikawa, Ueda

A. Facts: Data

■ TSR firm-level panel data ($\Leftrightarrow$ D&B in the US)

■ Coverage: Macro (SME white paper) vs. TSR data

i.	#Firms:	3.5M	vs.	1M
ii.	Sales (JPY):	1,428tn	vs.	1,000tn
iii.	#Empl:	47mn	vs.	32mn

■ Periods: 2008-2018

■ Concerns:

- Tilted toward large firms & specific industries
- Entry might be measured with some lag

A. Facts: Business Dynamism

□ Japan vs. U.S.

■ Disagree on “6” & “9”

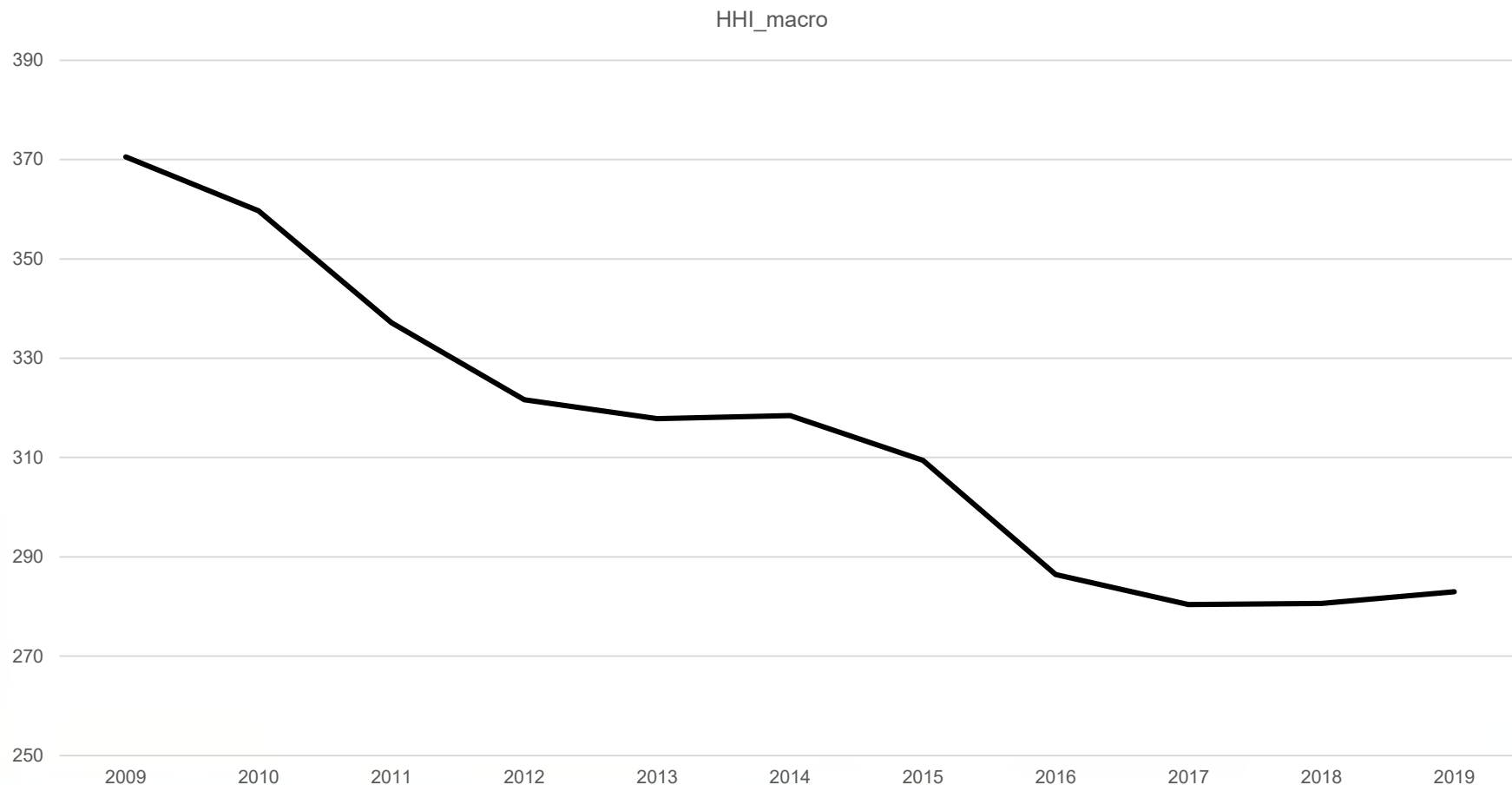
⇒ GAFA-story (e.g., Akcigit & Ates '21) is not applicable

⇒ Need another exposition

Facts	Japanese Data	US Data	Lower knowledge diffusion (e.g., Akcigit & Ates '21)
1. Entry	↓	↓	↓
2. Young firms' empl. share	↓	↓	↓
3. Dispersion of firm growth	↓	↓	↓
4. Job creation	↓	↓	↓
5. Frontier vs. laggard gap	↑	↑	↑
6. Markups	↔	↑	↑
7. Profit	↑	↑	↑
8. Labor share	↓	↓	↓
9. Concentration	↓	↑	↑

A. Facts: Business Dynamism

■ HHI of sales: All firms in all industries × Year



B. Theory: Motivating Issues

□ Low metabolism

- Low exit & entry rates (e.g., [SME whitepaper](#))
- Productivity dynamics
 - Series of studies by [Kyoji Fukao](#) & his co-authors

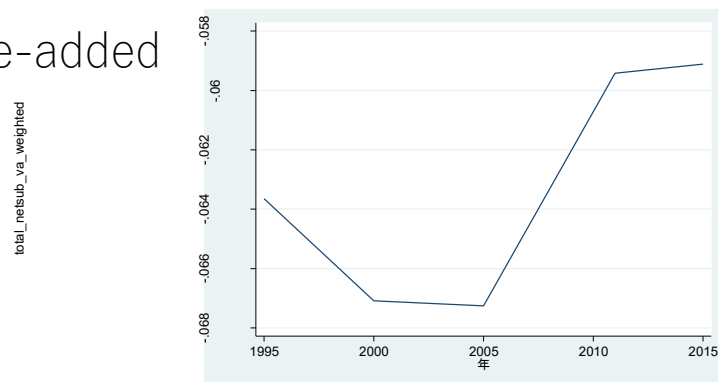
□ SMEs protection

- Targeting policy
 - E.g., [Beason & Weinstein. '96](#)

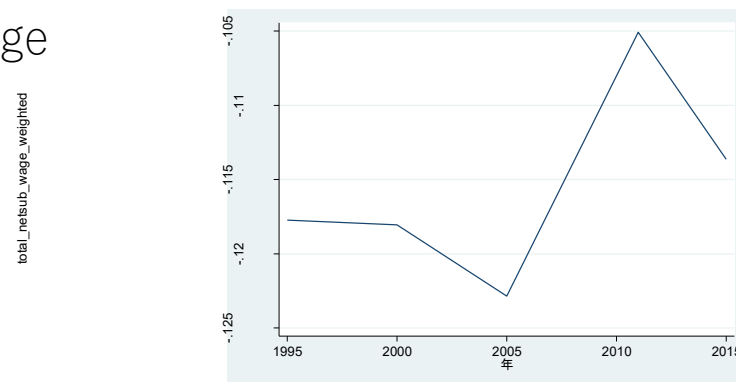
B. Theory: Motivating Issues

□ Net subsidy / Y over 1995 to 2015

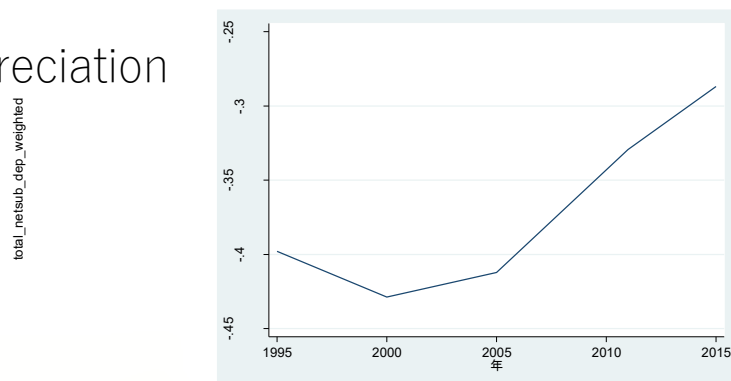
Y: Value-added



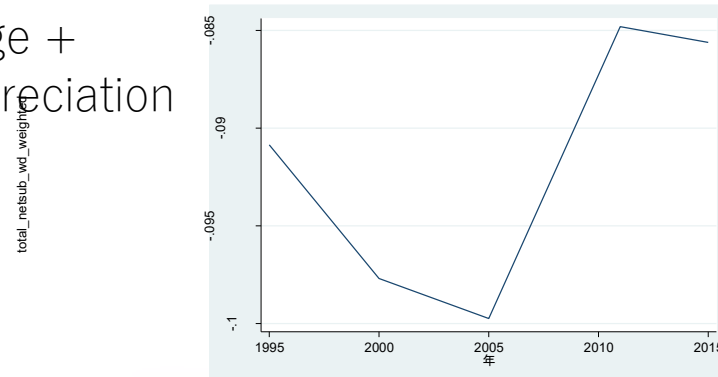
Y: Wage



Y: Depreciation



Y: Wage + Depreciation



B. Theory: Model

(see Appendix-X2 for more detail)

- Endogenous innovation in GE-framework
 - Hopenhayn & Rogerson '93

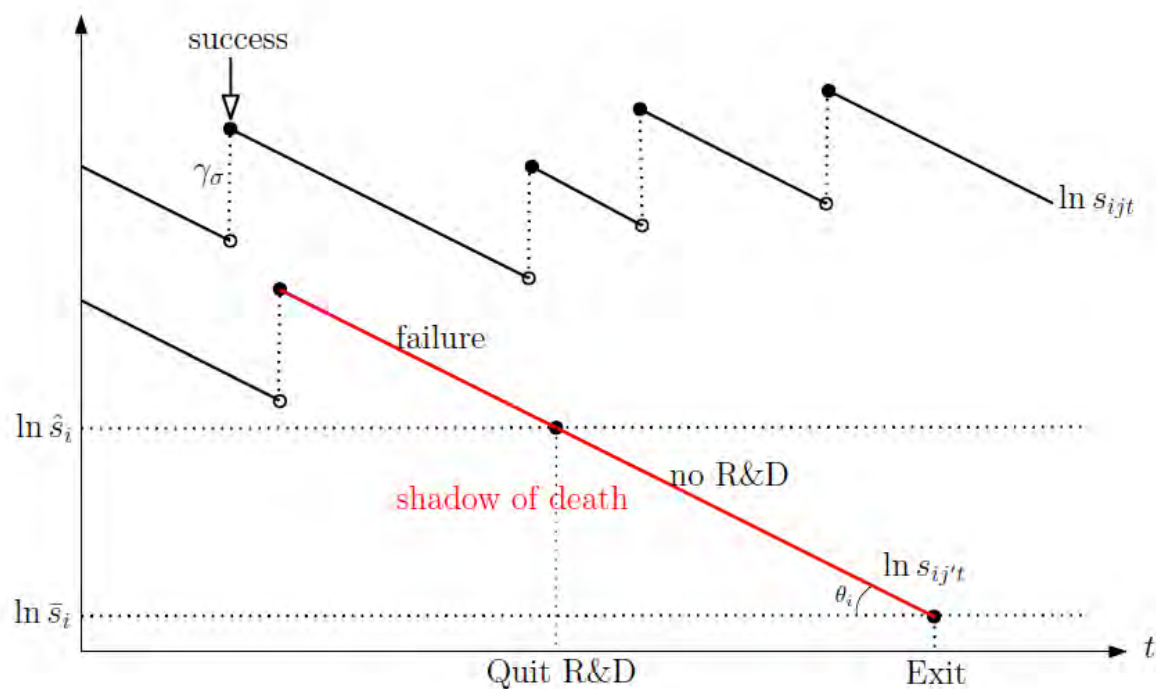
- Setup-1: Intermediate goods firms
 - Producing (final-goods specific) intermediate goods in industry $i \in [0,1]$ at time t
 - Monopolistic competition
 - Entry/exit
 - Intermediate goods firms can improve productivity through R&D

B. Theory: Model

- Setup-2: Final goods firms
 - Continuum of industry $i \in [0,1]$
 - Perfect competition
 - Intermediate goods as input
- Setup-3: Households
 - Consuming final goods
 - Inelastic labor supply

B. Theory: Illustration

- Dynamics of relative productivity
 - Stationary equilibrium
 - **Two thresholds:** Terminate R&D ($\hat{s}_i$) & Exit ($\bar{s}_i$)



B. Theory: Distortion

□ Impact of distortion

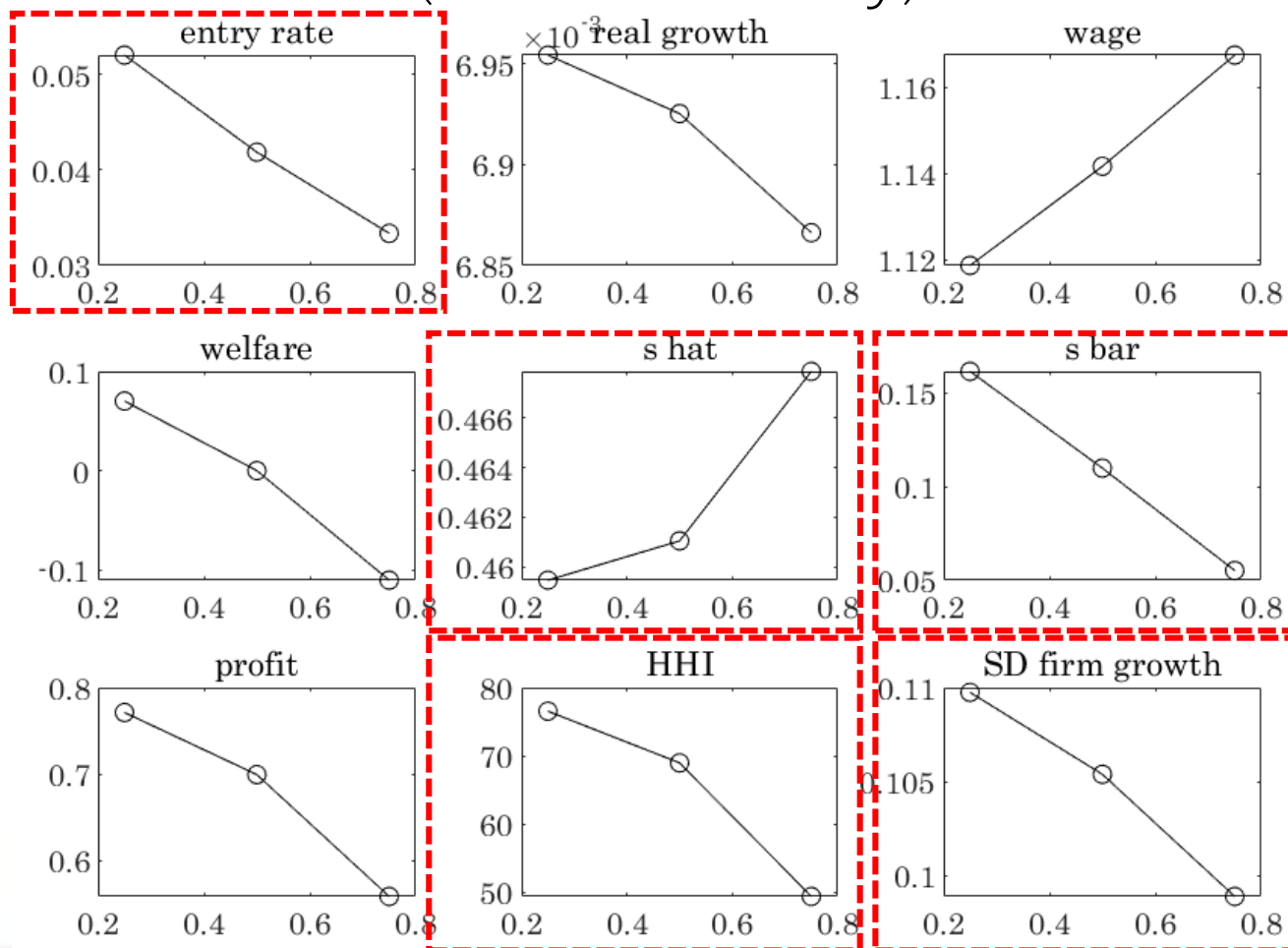
■ E.g., SME subsidy ↑

- Surviving longer on subsidies, $\bar{s}_i \downarrow$
- Smaller incentive to avoid sales decline, $\hat{s}_i \uparrow$

■ Consistency w/ facts?

B. Theory: Calibrated Model

□ As distortion (SME subsidy) $\uparrow$



B. Theory: Implication

□ Most of the facts can be explained

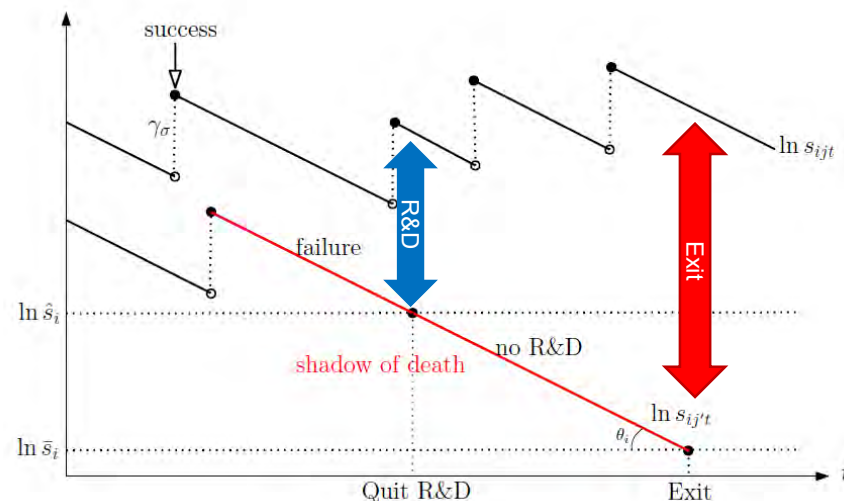
Facts	Japan Data	Higher distortion (Miyakawa, Oikawa, Ueda)
1. Entry	↓	↓
2. Young firms' empl. share	↓	↓
3. Dispersion of firm growth	↓	↓
4. Job creation	↓	↓
5. Frontier vs. laggard gap	↑	↑
6. Markups	⇔	⇔
7. Profit	↑	↓
8. Labor share	↓	⇔
9. Concentration	↓	↓

B. Theory: Empirical Validity

Supported by data?

TSR data (1998-2020)

- Firm-level panel
- Sales, R&D, exit
- Panel estimation



Industry × Time measures for distortion

- Net subsidy for an industry (e.g., [Beason Weinstein '96](#))
- Sunkiness (e.g., [Balasubramanian & Sivadasan '09](#))

Distortion ↑

⇒ Longer shadow of death (i.e., shorter  & longer )

B. Theory: Unexplained facts?

□ Labor MKT & Plant Location might matter

Facts	Japan Data	Higher distortion (Miyakawa, Oikawa, Ueda)	Weaker worker power (e.g., non-regular employees)	Plant relocation to foreign countries	Ideas getting harder	Higher financial friction for intangible investment (esp., young startups)
1. Entry	↓	↓	↑	↓	↓	↓
2. Young firms' empl. share	↓	↓	⇔	⇔	↓	↓
3. Dispersion of firm growth	↓	↓	↓	↑	↑	↑
4. Job creation	↓	↓	↑	⇔	↓	↓
5. Frontier vs. laggard gap	↑	↑	↑	↑	⇔	↑
6. Markups	⇔	⇔	↑	↑	↓	↑
7. Profit	↑	↓	↑	↑	↓	⇔
8. Labor share	↓	⇔	↓	↓	↑	↑
9. Concentration	↓	↓	⇔	⇔	↓	↑

Summary

- Business dynamism in Japan
 - A slight diff requires new expositions ($\neq$ GAFA)
 - Distortion on firm exit (+ R&D) could be a key
 - Desirable policy for growth?
- Need to consider some other theories...
 - Labor market, location choice, and any other?

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Appendix

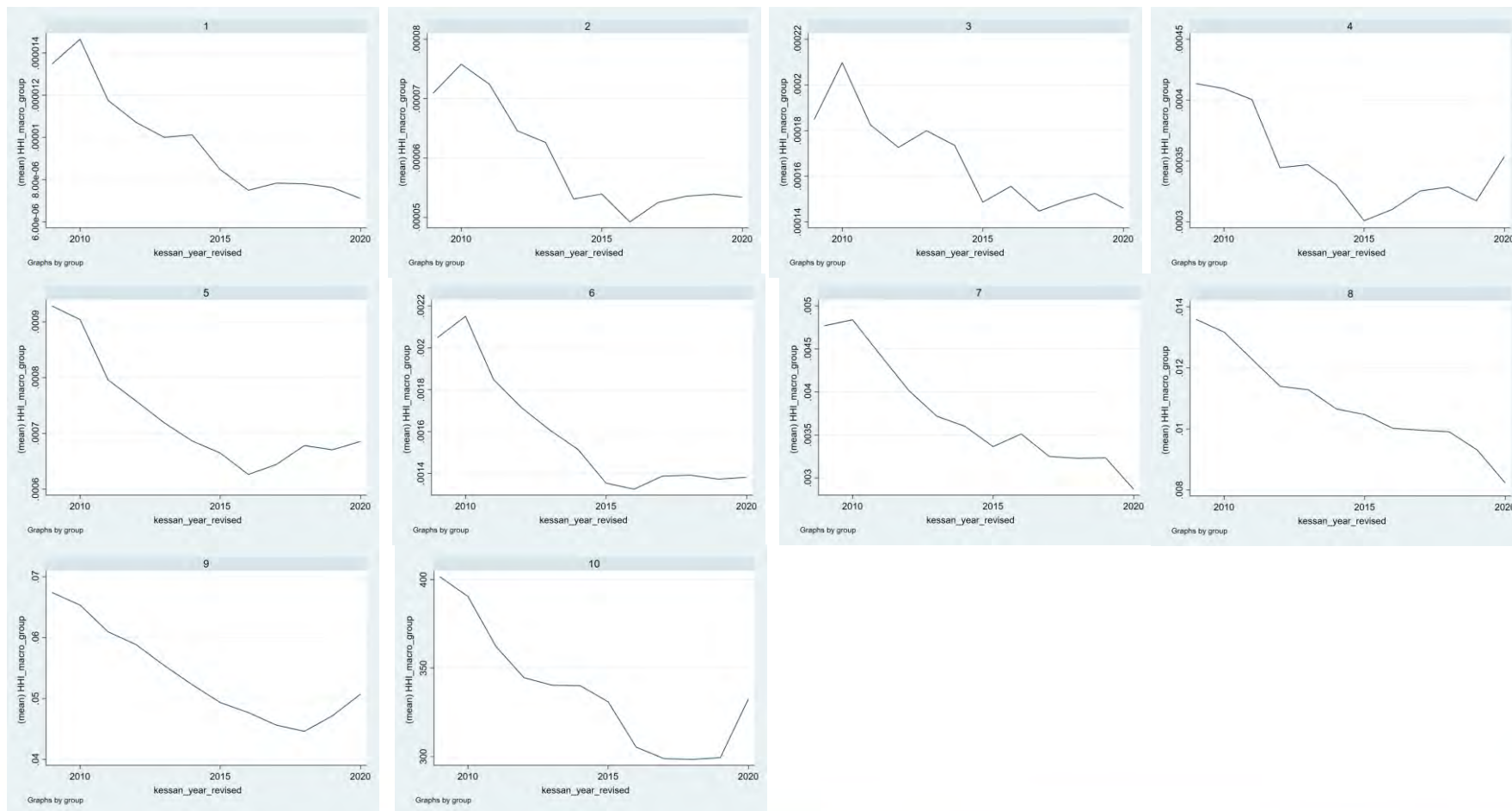
X1. Business Dynamism

□ HHI of sales: Decile $\times$ Year

1. For each industry in each year, construct 10 equal-number groups of firms from top decile to bottom decile
2. Compute HHI for each decile $\times$ ind $\times$ year
3. Compute HHI for each decile $\times$ year by using industry sales share as weight

X1. Concentration

□ HHI of sales: Decile × Year



X2. Model

Model Setup

- There are continuum of industry $i \in [0, 1]$. Final goods markets are competitive.
- In industry i at time t , there are n_{it} intermediate goods produced by monopolistically-competitive firms.
- Intermediate goods firms can improve productivity by R&D investment.

X2. Model

Households

- Utility:

$$\int_0^{\infty} e^{-\rho t} \ln C_t dt,$$
$$\ln C_t = \int_0^1 \ln Y_{it} di.$$

- Set $P_{it} Y_{it} = 1$ for any i and t .
- Inelastic labor supply, L .

X2. Model

Firms

- Final goods firms, $i \in [0, 1]$: Perfect competition, intermediate goods as input
- Intermediate goods firms, $j \in \mathcal{J}_{it}$:
 - ▶ final-goods specific
 - ▶ monopolistic competition
 - ▶ R&D (productivity improvement)
 - ▶ entry/exit

X2. Model

Final Goods Firms

- $\mathcal{J}_{it} \subset \mathbb{R}$: set of active firms (= varieties)
- x_{ijt} , p_{ijt} : output and price of intermediate good j in industry i at time t .
- Final goods Production:

$$Y_{it} = n_{it}^{\varepsilon} \left[\int_{\mathcal{J}_{it}} x_{ijt}^{\frac{\sigma-1}{\sigma}} dj \right]^{\frac{\sigma}{\sigma-1}}, \quad \sigma > 1, \varepsilon \in \left[-\frac{\sigma}{\sigma-1}, 0 \right]$$

- Demand for intermediate goods:

$$x_{ijt} = n_{it}^{\varepsilon(\sigma-1)} p_{it}^{\sigma} Y_{it} p_{ijt}^{-\sigma}$$

X2. Model

Intermediate Goods Firms: Production

- Production: $x_{ijt} = z_{ijt} \ell_{ijt}$
- Operational fixed cost, κ_o , in the labor unit
- Instantaneous profit

$$\max \underbrace{(p_{ijt} z_{ijt} - w_t) \ell_{ijt}}_{\pi_{ijt}} - \kappa_o w_t$$

$$p_{ijt} = \frac{\sigma}{\sigma - 1} \frac{w_t}{z_{ijt}}, \quad \pi_{ijt} = \frac{s_{ijt}}{\sigma},$$

where s_{ijt} is relative productivity (= sales),

$$s_{ijt} \equiv \left(\frac{z_{ijt}}{Z_{it}} \right)^{\sigma-1}, \quad Z_{it} \equiv \left[\int_{\mathcal{J}_{it}} z_{ijt}^{\sigma-1} dj \right]^{\frac{1}{\sigma-1}}.$$

X2. Model

Intermediate Goods Firms: R&D

- Fixed R&D cost in the labor unit, κ_r .
- z_{ijt} evolves such that

$$\text{R\&D investment} \Rightarrow z_{ijt+dt} = \begin{cases} (1 + \gamma) z_{ijt} & \text{w.p. } \lambda dt, \\ z_{ijt} & \text{w.p. } 1 - \lambda dt. \end{cases}$$

- Dynamics of z_{ijt} : Poisson jumps
- Dynamics of s_{ijt} : Poisson jumps with negative trend
 - ▶ The negative trend is determined by industry-level R&D efforts,

$$\theta_{it} \equiv \frac{(z_{it}^{\sigma-1})}{z_{it}^{\sigma-1}} = \lambda \gamma_{\sigma} \left(\int_{\mathcal{J}_{it}^R} s_{ijt} dj \right), \quad \gamma_{\sigma} \equiv (1 + \gamma)^{\sigma-1} - 1$$

- ▶ $\mathcal{J}_{it}^R$: set of R&D firms

X2. Model

R&D Threshold, $\hat{s}_{it}$

- HJB equation:

$$\begin{aligned}
 r_t V(s_{ijt}, n_{it}, w_t) = & \max \left\{ 0, \frac{s_{ijt}}{\sigma} - \kappa_o w_t \right. \\
 & + \max_{\chi \in \{0,1\}} E_t \left[v_s(s_{ijt}, n_{it}, w_t) \dot{s}_{ijt} | \chi=0, \right. \\
 & \quad \left. \left. - \kappa_r w_t + v_s(s_{ijt}, n_{it}, w_t) \dot{s}_{ijt} | \chi=1 \right] \right. \\
 & \left. + v_n(s_{ijt}, n_{it}, w_t) \dot{n}_{it} + v_w(s_{ijt}, n_{it}, w_t) \dot{w}_t \right\}
 \end{aligned}$$

Proposition

Given $\theta_{it} \geq 0$. There exists a unique threshold $\hat{s}_{it} > 0$ above which a firm invests in R&D.

$$v_s(\hat{s}_{it}, n_{it}, w_t) \hat{s}_{it} = \frac{\kappa_r w_t}{\lambda \gamma \sigma}$$

X2. Model

Exit Threshold, $\bar{s}_{it}$

- $v(\bar{s}_{it}, n_{it}, w_t) = 0$ & $v_s(\bar{s}_{it}, n_{it}, w_t) = 0$ imply

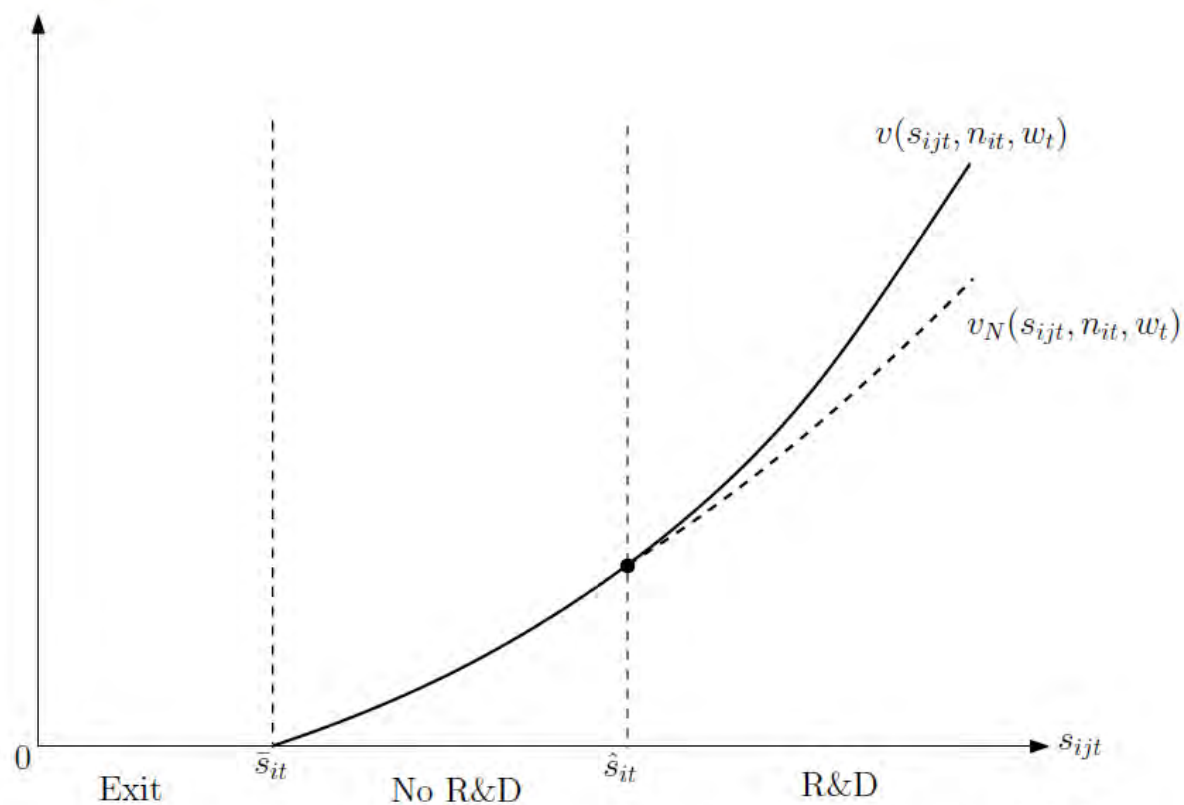
$$0 = \frac{\bar{s}_{it}}{\sigma} - \kappa_o w_t + v_n(\bar{s}_{it}, n_{it}, w_t) \dot{n}_{it} + v_w(\bar{s}_{it}, n_{it}, w_t) \dot{w}_t$$

- In a stationary state ($\dot{n}_{it} = \dot{w}_t = 0$),

$$\bar{s}_j = \sigma \kappa_o w$$

X2. Model

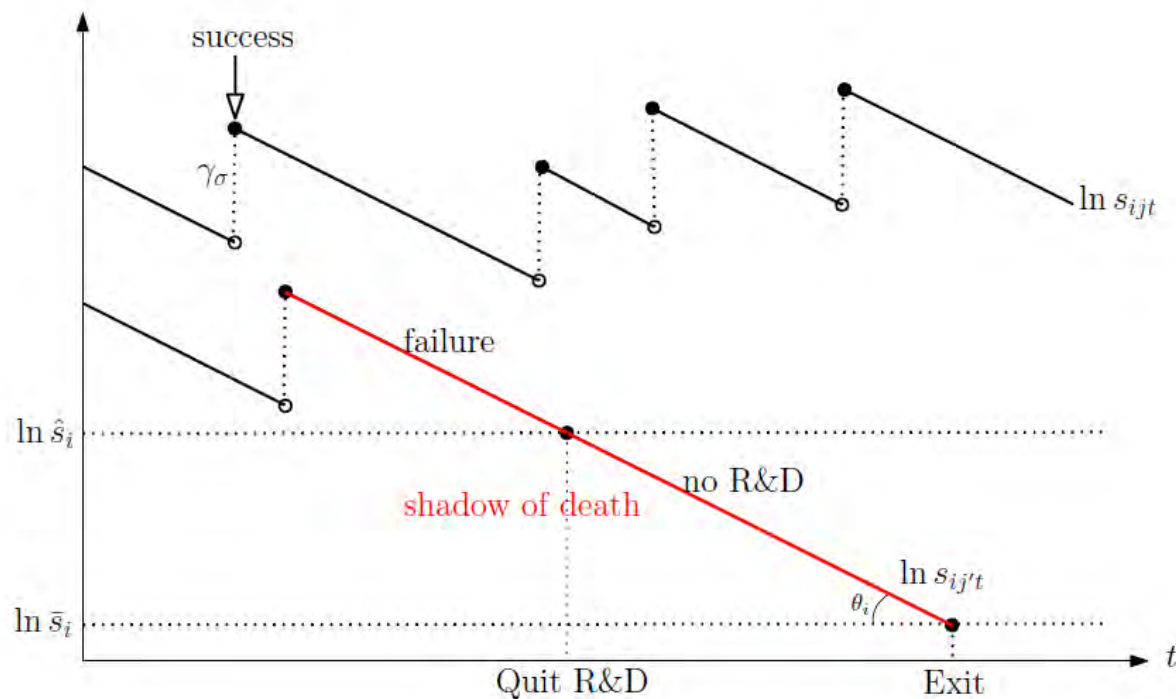
Firm Value



$v_N(s_{ijt}, n_{it}, w_t)$: Firm value when committing non-R&D.

X2. Model

Dynamics of Relative Productivity



X2. Model

Firm Entry and Labor Market Clearing

- Fixed entry cost, κ_e , in the labor unit.
- An entrant draws s from distribution F_0 .
 - ▶ An entrant drawing $s < \bar{s}_{it}$ exits immediately.
- Free entry condition:

$$\int_{\bar{s}_{it}}^{\infty} v(s, n_{it}, w_t) dF_0 = \kappa_e w_t$$

- Labor market clearing condition:

$$L = \frac{\sigma - 1}{\sigma w_t} + \int_0^1 n_{it} [\kappa_o + \kappa_r (1 - F_{it}(\hat{s}_{it})) + \kappa_e \mu_{it}] di$$

X2. Model

Stationary Equilibrium

- Stationary distribution, F_i
- Stationary equilibrium: $\{\bar{s}_i, \hat{s}_i, n_i, \theta_i, \mu_i, \delta_i\}_{i \in [0,1]}$ and w that satisfy
 - ▶ Households' optimization: consumption
 - ▶ Firm's optimization: production, R&D, exit
 - ▶ Free entry
 - ▶ Labor market clearance

X2. Model

Equilibrium Values

- Industry level:

$$\theta_i = \lambda \gamma_\sigma n_i \int_{\hat{s}_i}^{\infty} s dF_i, \quad n_i = \frac{1}{\int_{\bar{s}}^{\infty} s dF_i}$$

$$\delta_i = \theta_i \bar{s} f_i(\bar{s}) = \mu_i [1 - F_0(\bar{s})]$$

$$Y_{it} = \frac{\sigma - 1}{\sigma} \frac{n_i^\varepsilon Z_{it}}{w}, \quad g_i = \frac{\theta_i}{\sigma - 1}$$

- Aggregate level:

$$g = \frac{1}{\sigma - 1} \int_0^1 \theta_i di$$

$$\ln C_0 = \ln \frac{\sigma - 1}{\sigma w} + \int_0^1 [\ln Z_{i0} + \varepsilon \ln n_i] di$$

$$U = \frac{\ln C_0}{\rho} + \frac{g}{\rho^2}$$

X2. Model

Exit Distortion

- Degree of exit distortion: τ

$$\bar{s}_i = (1 - \tau_i)\sigma \kappa_{o,i}W \Rightarrow (1 - \tau_i)\sigma = \frac{\bar{s}_i}{\kappa_{o,i}W}$$

- ▶ Higher exit distortion lowers exit thresholds.
- Assuming that the elasticity of substitution, σ , is constant across industries, the dispersion in the exit threshold relative to fixed cost, $\frac{\bar{s}_i}{\kappa_{o,i}W}$, implies the dispersion of exit distortions across industries.
 - ▶ We can infer such distortion exists if we observe significant dispersion.
- Exit distortion also affects R&D thresholds.
 - ▶ e.g., Higher exiting firm's value $\Rightarrow$ Less incentive to escape from the shadow of death $\Rightarrow$ low $\theta_i \Rightarrow$ weak declining trend during the shadow of death $\Rightarrow$ exiting firms survive longer

X2. Model

Distortion 1: Exit Cost

- Suppose an exiting firm get $K < 0$ at exit. (Direct or indirect costs)
- Exiting firm's value:

$$v(s) = v_N(s) + e^{-\frac{r}{\theta} \ln(s/\bar{s})} K \quad \text{for } s \in [\bar{s}, \hat{s})$$

- Exit threshold:

$$\bar{s} = (1 - \tau) \sigma \kappa_o w, \quad \tau = -\frac{rK}{\kappa_o w} > 0$$

- R&D threshold:

$$\frac{1}{r + \theta_i} \left(\frac{\hat{s}_i}{\bar{s}} - \left(\frac{\hat{s}_i}{\bar{s}} \right)^{-\frac{r}{\theta_i}} \right) = \frac{1}{1 - \tau} \frac{\kappa_r / \kappa_o}{\lambda \gamma_\sigma}.$$

- For given θ_i ,

$$\tau \uparrow \Rightarrow \bar{s} \downarrow, \hat{s} \downarrow, \frac{\hat{s}}{\bar{s}} \uparrow$$

X2. Model

Distortion 1: Exit Cost

- Due to exit cost, firms delay exit even with negative profit flows. ($\bar{s} \downarrow$)
- Longer duration of shadow of death. ($\hat{s} \uparrow$)
- However, they have more incentive to do R&D to escape from exit. ($\hat{s} \downarrow$)

X2. Model

Distortion 2: Size-dependent Subsidy

- Subsidy $K < \kappa_o w$ is given to a firm with $s_{ijt} \leq \tilde{s}$ in each unit of time.
Assume $\tilde{s} < \hat{s}$.

- Exiting firm's value:

$$v(s) = \begin{cases} v_N(s) + \frac{K}{r} (\tilde{s}^{\frac{r}{\theta}} - \bar{s}^{\frac{r}{\theta}}) s^{-\frac{r}{\theta}} & \text{for } s \in [\tilde{s}, \hat{s}] \\ v_N(s) + \frac{K}{r} (1 - \bar{s}^{\frac{r}{\theta}}) s^{-\frac{r}{\theta}} & \text{for } s \in [\bar{s}, \tilde{s}] \end{cases}$$

- Exit threshold:

$$\bar{s} = (1 - \tau) \sigma \kappa_o w, \quad \tau = \frac{K}{\kappa_o w}$$

- R&D threshold:

$$\frac{1}{r + \theta_i} \left(\frac{\hat{s}_i}{\bar{s}} - \left(\frac{\hat{s}_i}{\bar{s}} \right)^{-\frac{r}{\theta_i}} \right) - \frac{\tau}{1 - \tau} \frac{1}{\theta_i} \left(\frac{\hat{s}_i}{\tilde{s}} \right)^{-\frac{r}{\theta_i}} = \frac{1}{1 - \tau} \frac{\kappa_r / \kappa_o}{\lambda \gamma_\sigma}.$$

- For given θ_i ,

$$\tau \uparrow \Rightarrow \bar{s} \downarrow, \hat{s} \uparrow, \frac{\hat{s}}{\bar{s}} \uparrow$$

X2. Model

Distortion 2: Size-dependent Subsidy

- Under size-dependent subsidy, small firms can survive longer. ($\bar{s} \downarrow$)
- Longer duration of shadow of death. ($\frac{\hat{s}}{\bar{s}} \uparrow$)
- Further, such subsidy reduces incentives for R&D. ($\hat{s} \uparrow$)

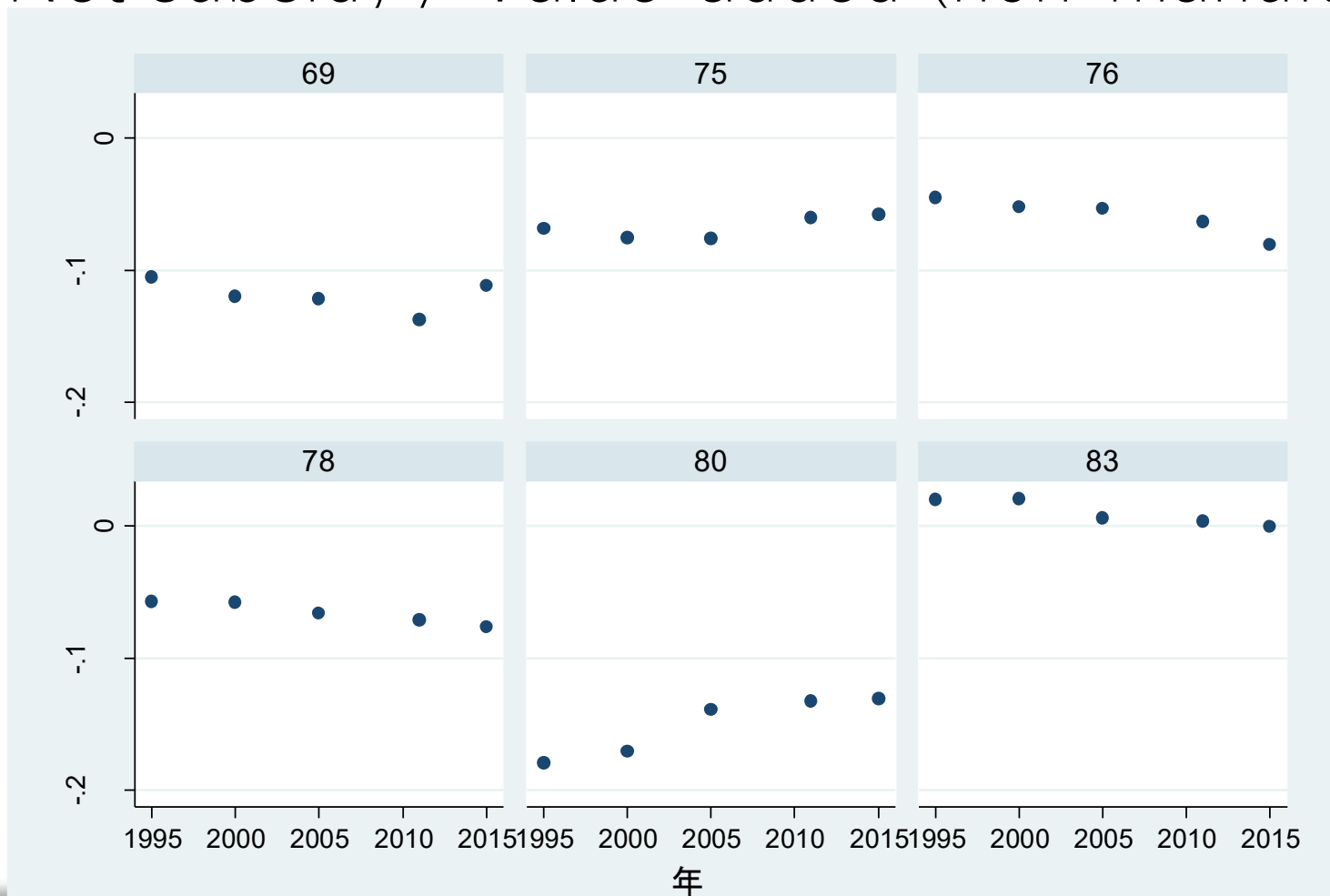
X3. Empirical analysis

Net subsidy / Value-added (manufacturing)



X3. Empirical analysis

Net subsidy / Value-added (non-manufac)



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